

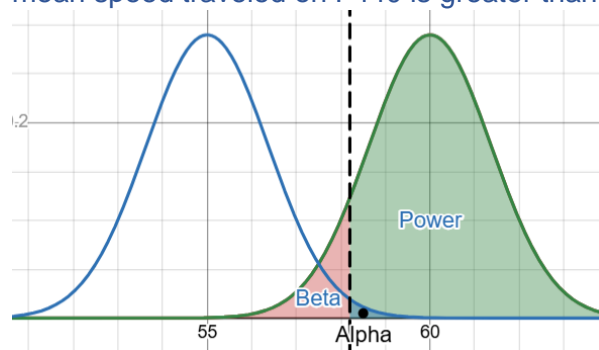
# ST370 Exam 2 Review Key

1. a and d
2. a
3. c
4. e
5. C, t, Test
6. A, z, CI
7. D, z, Test
8. A, t, Test or CI since it is double sided and a CI can be used to do a significance test.
9. C, t, Test
10. E, t, CI
11. B, z, Test or CI since it is double sided and a CI can be used to do a significance test.
12. C, t, CI
13. A, t, CI
14. A, z, Test
15. B
- 16.

- a. (15.84, 16.00) or (15.83, 16.00) depending on how it is rounded.
- b. No, cannot use a confidence interval to do a significance test that is one sided.
- c. from calculation: 34.57, therefore sample size = 35 (always round up)
- d. A

17.

- a.  $H_0: \mu = 55, H_a: \mu > 55$
- b.  $t = 2.69$
- c.  $P(T > 2.69)$ , p-value between 0.005 and 0.010
- d. At a significance level of 1%. reject null hypothesis, evidence that the population mean speed traveled on I-440 is greater than 55 mph.



e.

18.

- a.  $H_0: \mu = 570, H_a: \mu > 570$
- b.  $t = 2.14$
- c.  $P(T > 2.14)$ , p-value between 0.025 and 0.020
- d. Picture with line in the center, labeled with 0, line to the right labeled with 2.14, tail shaded to the right with a p-value of 0.025 to 0.020.
- e. At a significance level of 5%, reject null hypothesis, evidence that the population mean number of parked cars is greater than 570.

- 19.
- F – since the t-test statistic is positive and we are studying if cholesterol is reduced, this must mean that the researchers took before minus after.
  - B – again, since we are looking at “reduced,” our p-value is half the two-tailed result.
  - A
  - D
- 20.
- C
  - B
  - C
  - B
- 21.
- (59.21,64.37)
  - $m = 2.58$
  - $H_0: \mu = 61.3, H_a: \mu \neq 61.3$ . The 99% confidence interval can be used to do this test as the alternate hypothesis is two sided and the test significance level is 1%. Since 61.3 is inside the CI, I would fail to reject the null hypothesis, no evidence population mean weight is different from 61.3 kg.
- 22.
- Matched pairs
  - $H_0: \mu_{diff} = 0; H_a: \mu_{diff} > 0, diff = y - x$
  - $t = 2.378$
  - $t = \frac{\bar{d} - \mu_{diff}}{s_{diff} / \sqrt{n}} = \frac{0.85 - 0}{1.59852 / \sqrt{20}}$
  - P-value =  $0.028/2 = 0.014$
  - Reject null hypothesis, evidence customers preferred new drink to old one for the population
- 23.
- $H_0: \mu = 150, H_a: \mu > 150$
  - $z = 14.04$
  - P-value = 0
  - Reject null hypothesis, evidence the population average yield is above 150 (OR evidence the fertilizer increased yield for the population).
  - Picture with line in the center, labeled with 150, line to the right labeled with 172.2, tail shaded to the right with a p-value of 0.
- 24.
- A
  - B
  - C
  - $t^* = 1.729$
25. A
26. F
27. A
28. D
- 29.
- $H_0: \mu = 10, H_a: \mu \neq 10$

- b.  $z = -5.00$
- c.  $p\text{-value} = 0$
- d. Reject null hypothesis, evidence population mean level of calcium differs from 10 mg/dl.

30.

- a. C
- b. D
- c. D
- d. F
- e. A
- f.  $(1.96/0.03)^2 \cdot (0.3 \cdot 0.7 + 0.35 \cdot 0.65) = 1867.444$ , so  $n_1$  and  $n_2$  must both be  $\geq 1868$ .

31. E

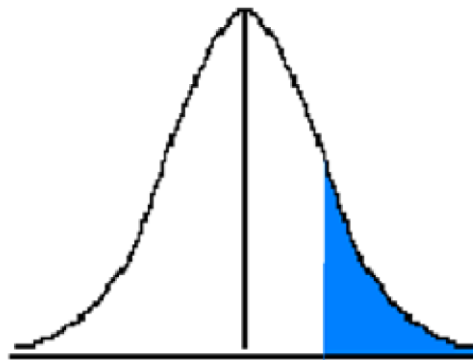
32. B

33. D

34. C

35.

- a.  $H_0: p = 0.72$ ;  $H_a: p > 0.72$
- b.  $z = 0.945$ :  $(0.78 - 0.72) / \sqrt{0.72 \cdot 0.28 / 50}$
- c. 0.1711 or 0.1736 depending on rounding of test statistic
- d. Fail to reject the null, there is not enough evidence to show that the percentage of engineering students who push the snooze button is more than 72%.
- e.



- e.
- f.  $(0.6836, 0.8764) : 0.78 \pm 1.645 \cdot \sqrt{0.78 \cdot 0.22 / 50}$
- g.

36. c

37. c

38. Picture with 5 at the center, 8.2 to the right of 5 indicating the location of the sample mean and 2 tails shaded with the total p-value of 0.005, lines drawn at 8.2 and 1.8 (symmetric to the 8.2 location to the left of 5).

39. d

40. Picture with 5 at the center, 8.2 to the right of 5 indicating the location of the sample mean and line drawn at 8.2, whole area under the curve to right of 8.2 shaded with a p-value of 0.0025.

41. b

42. D, 2 sample t comparison of means, 2 independent groups, one quantitative variable compared for the two groups
43. C, matched pair t, one quantitative variable tested in matched pair situation, before and after.
44. A, 1 sample z, population std dev known, one quantitative variable.
45. B, 1 sample t, sample std dev calculated, one quantitative variable.
46. E, 2-sample comparison of proportions
47. F, 1-sample proportion
- 48.
- C
  - 4.87
  - $t^*=2.797$
  - margin of error= 0.67 Lower Bound = 4.20 Upper Bound = 5.54
  - A

49.

BEFORE	AFTER	DIFF
72	67	5
78	75	3
65	62	3
80	76	4
75	73	2
68	71	-3
70	65	5
82	83	-1
76	72	4
71	69	2
dbar		2.40

- - Using C-Level 0.9 and t for  $df=9$  and then taking standard error from the output, we have  $2.4 \pm 1.833*0.81921372 = (0.893, 3.907)$
  - A
- 50.
- 0.05
  - Beta
  - 0.10
  - Alpha
  - 0.05
  - Power
  - 0.90
  - 15
  - 1.645
  - 1.28
  - 20.561
  - 24.9
- 51.
- 0.9222
  - 145

52.

- a. 0.5
- b.  $m = 0.041$
- c. (0.459, 0.541)

53.

- a.  $H_0: p = 0.1, H_a: p \neq 0.1$
- b.  $z = (0.06 - 0.1)/\sqrt{0.1 \cdot 0.9/200} = -1.89$
- c.  $P\text{-val} = 2 \cdot P(Z > |-1.89|) = 2 \cdot P(Z < -1.89) = 0.0588$
- d. center: 0, to the left: -1.89, area to the left of -1.89 and the symmetric one on the other side of the curve
- e. Do not reject  $H_0$ . There is no evidence that the proportion of green M&Ms is not equal to 0.1 in the population
- f.  $(1.96/0.03)^2 \cdot 0.1 \cdot 0.9 = 384.16$  so  $n \geq 385$ .

54.

- a. B
- b. C
- c.  $s_p^2 = 122, df = 198$
- d. B